

Declarative Array Programming with Single Assignment C (SAC)

Language Design and Compiler Technology

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UNIVERSITEIT VAN AMSTERDAM

2nd HIPERFIT Workshop

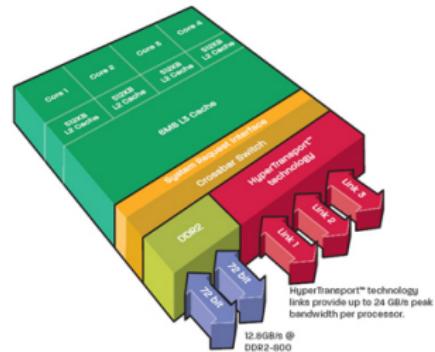
Copenhagen, Denmark

Dec 1/2, 2011



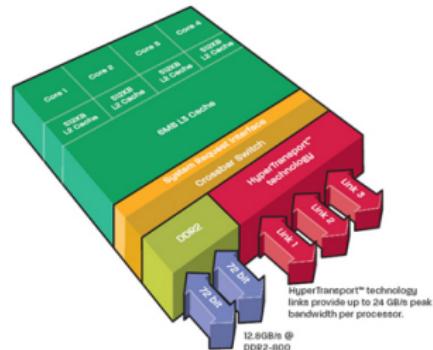
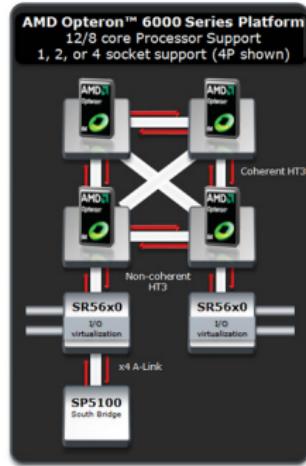
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The many-core hardware zoo:



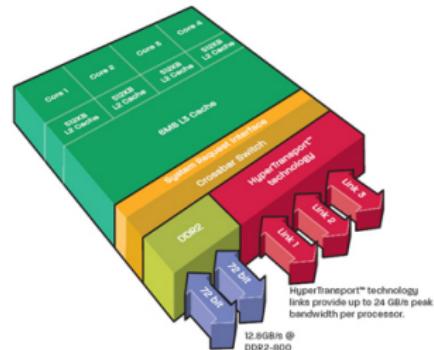
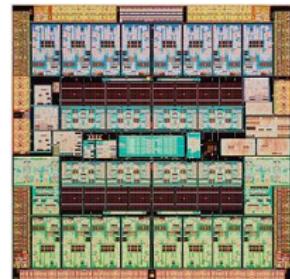
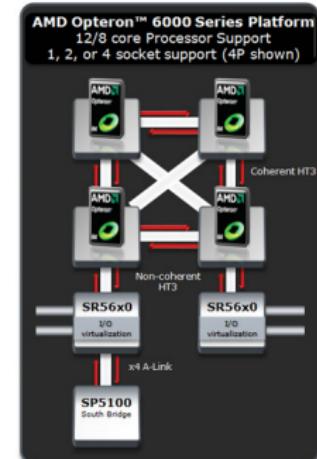
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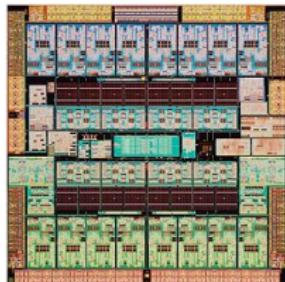
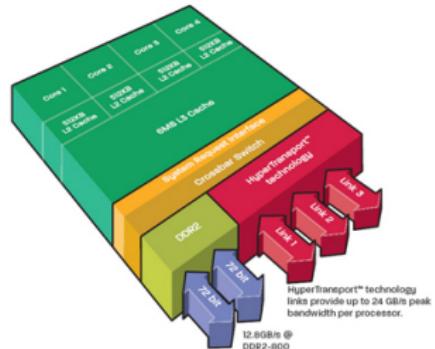
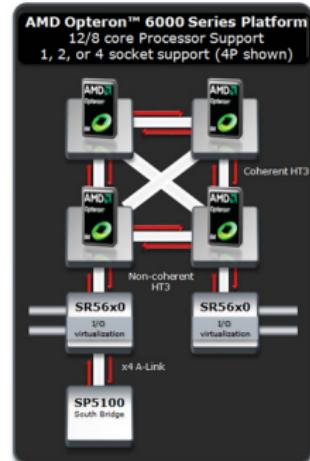
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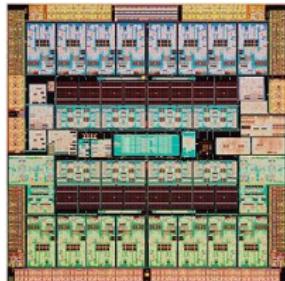
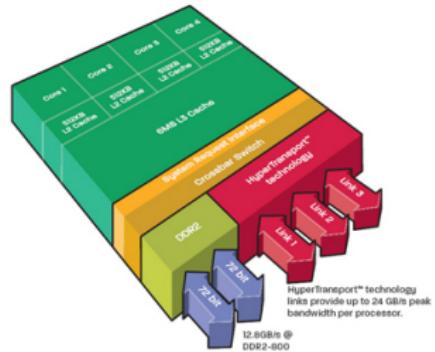
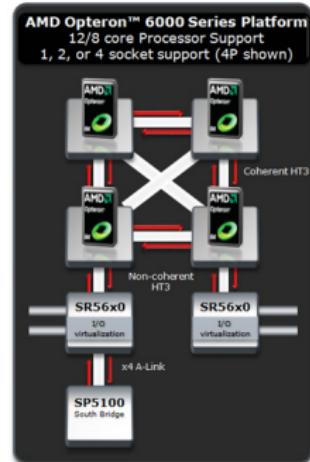
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The many-core hardware zoo:



Design Rationale of SAC

Hardware in the many-core era is a zoo:

- ▶ Vastly different numbers of cores
- ▶ Vastly different core architectures: power, genericity
- ▶ Vastly different memory architectures



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Programming diverse hardware is uneconomic:

- ▶ Diverse low-level programming models
- ▶ Each requires expert knowledge
- ▶ Heterogeneous combinations of the above ?



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Genericity through abstraction:

- ▶ Program **what** to compute, not exactly **how**
- ▶ Leave execution organisation to compiler and runtime system
- ▶ Put expert knowledge into compiler, not into applications



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- ▶ Compile one source to diverse target hardware
- ▶ Promote **multidimensional arrays** as main data structure
- ▶ Pursue **data-parallel** approach to automatically exploit concurrency



Why (Data Parallel) Array Programming ?

Factorial imperative:

```
int fac( int n)
{
    int f = 1;
    while (n > 1) {
        f = f * n;
        n = n - 1;
    }
    return f;
}
```

Factorial functional:

```
fac n = if n <= 1
         then 1
         else n * fac (n - 1)
```



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Factorial data parallel:

```
fac n = prod( 1 + iota( n ));
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10

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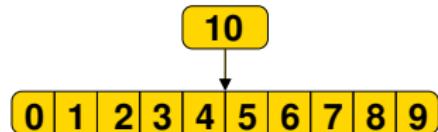
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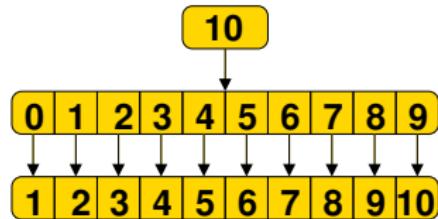
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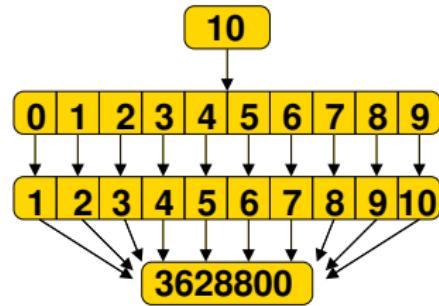
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The Essence of (Data Parallel) Array Programming

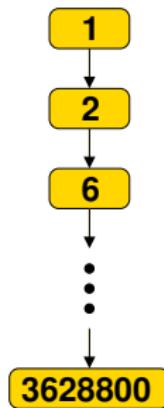
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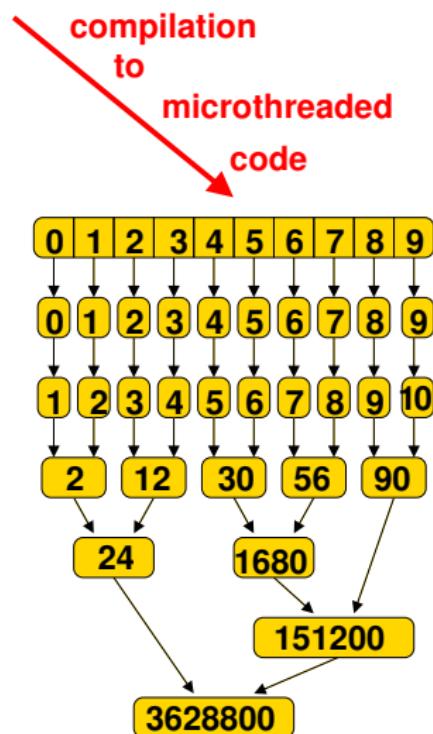
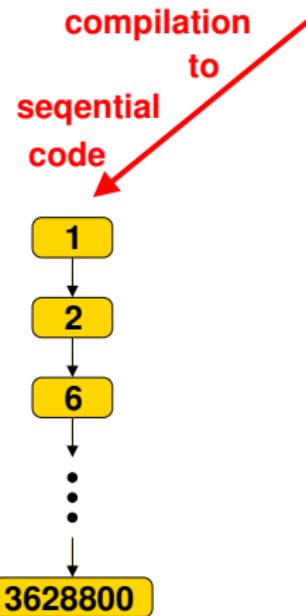
`prod(1+iota(n))`

compilation
to
sequential
code

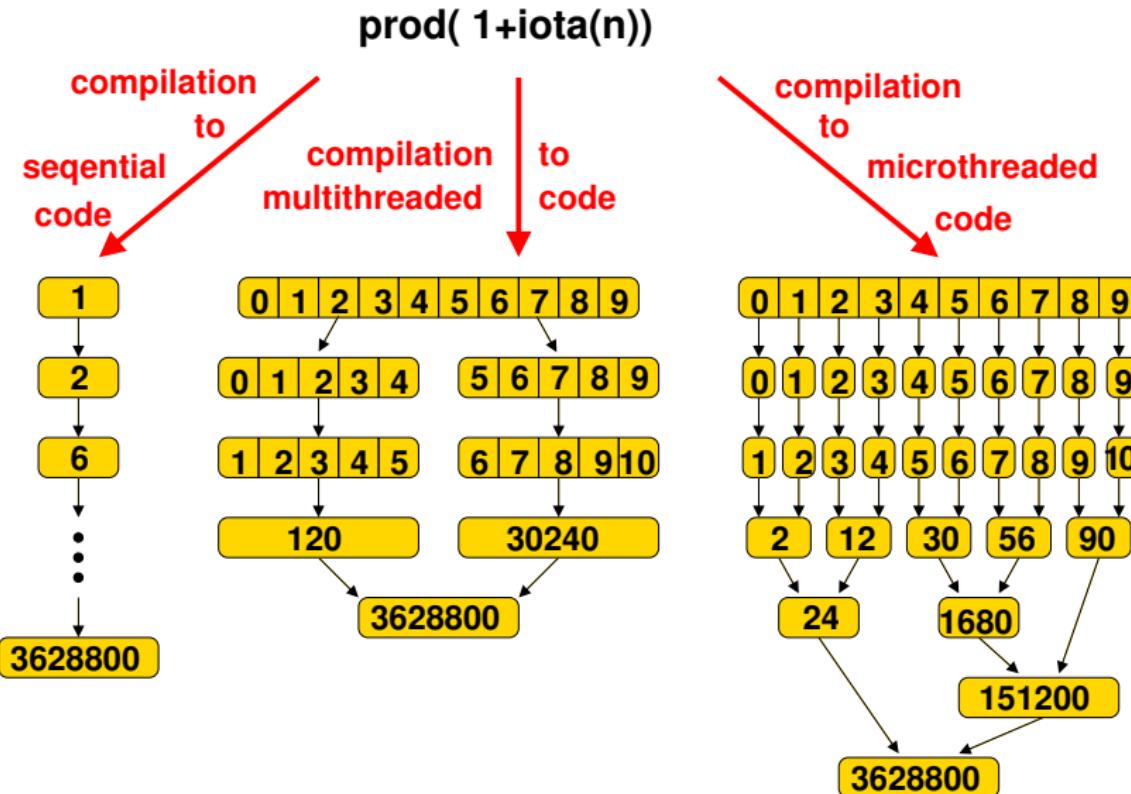


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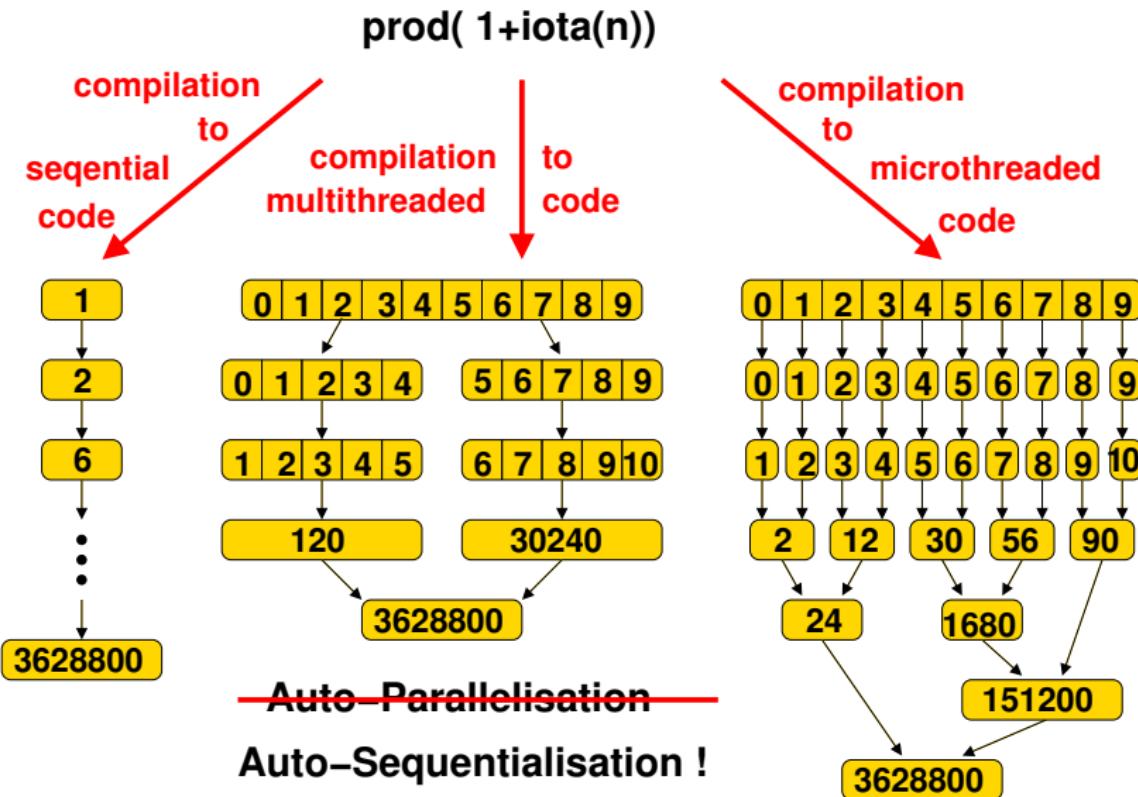
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The Essence of Data Parallel Programming



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SAC — Design Space

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High-level functional, data-parallel
programming with vectors, matrices, arrays



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Suitability to achieve high performance
in sequential and parallel execution



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SAC



Easy to adopt for programmers
with an imperative background



Suitability to achieve high performance
in sequential and parallel execution



Introductory Example: gcd in SAC

Euclid's algorithm:

```
int gcd( int high, int low)
{
    if (high < low) {
        mem = low;
        low = high;
        high = mem;
    }
    while (low != 0) {
        remain = high % low;
        high = low;
        low = remain;
    }
    return high;
}
```



What means Functional Array Programming ?

- ▶ **Execution Model**

- ▶ Contextfree substitution of expressions



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- ▶ Map argument values to result values
- ▶ No side effects
- ▶ Call-by-value parameter passing



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- ▶ **Control flow constructs**
 - ▶ Branches are syntactic sugar for conditional expressions
 - ▶ Loops are syntactic sugar for tail-end recursive functions
 - ▶ Data flow determines execution order



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- ▶ **Control flow constructs**
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 - ▶ Loops are syntactic sugar for tail-end recursive functions
 - ▶ Data flow determines execution order
- ▶ **Nature of Arrays**
 - ▶ Pure values, mapping indices to (other) values
 - ▶ No state, no fixed memory representation



Calculus of Multidimensional Arrays

$$\begin{pmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{pmatrix}$$

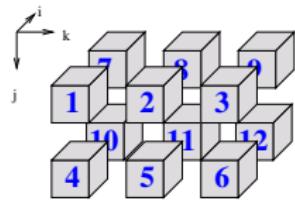
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shape: [3,3]
data: [1,2,3,4,5,6,7,8,9]



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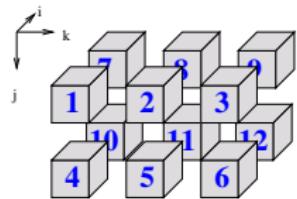
dim: 3
shape: [2,2,3]
data: [1,2,3,4,5,6,7,8,9,10,11,12]



Calculus of Multidimensional Arrays

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[1, 2, 3, 4, 5, 6]

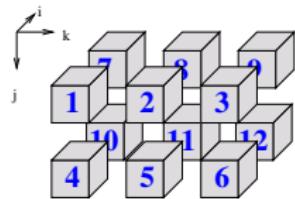
dim: 1
shape: [6]
data: [1,2,3,4,5,6]



Calculus of Multidimensional Arrays

$$\begin{pmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{pmatrix}$$

dim: 2
shape: [3,3]
data: [1,2,3,4,5,6,7,8,9]



dim: 3
shape: [2,2,3]
data: [1,2,3,4,5,6,7,8,9,10,11,12]

[1, 2, 3, 4, 5, 6]

dim: 1
shape: [6]
data: [1,2,3,4,5,6]

42

dim: 0
shape: []
data: [42]



Built-in Array Operations

- Defining a vector:

```
vec = [1,2,3,4,5,6];
```



Built-in Array Operations

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- ▶ Defining a higher-dimensional array:

```
mat = [vec,vec];
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```
mat = reshape( [3,2], vec);
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- ▶ Querying for the shape of an array:

```
shp = shape( mat); → [3,2]
```



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rank = dim( mat); → 2
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```

- ▶ Querying for the rank of an array:

```
rank = dim( mat); → 2
```

- ▶ Selecting elements:

```
x = sel( [4] , vec); → 5
```

```
y = sel( [2,1] , mat); → 6
```

```
x = vec[[4]]; → 5
```

```
y = mat[[2,1]]; → 6
```



With-Loops: Versatile Array Comprehensions

```
A = with {
    ([1,1] <= iv < [4,4]) : e(iv);
}: genarray( [5,4], def );
```

- ▶ Multidimensional array comprehensions
- ▶ Mapping from index domain into value domain

[0,0]	[0,1]	[0,2]	[0,3]
[1,0]	[1,1]	[1,2]	[1,3]
[2,0]	[2,1]	[2,2]	[2,3]
[3,0]	[3,1]	[3,2]	[3,3]
[4,0]	[4,1]	[4,2]	[4,3]

index domain



def	def	def	def
def	e([1,1])	e([1,2])	e([1,3])
def	e([2,1])	e([2,2])	e([2,3])
def	e([3,1])	e([3,2])	e([3,3])
def	def	def	def

value domain



With-Loops: Versatile Array Comprehensions

```
A = with {
    ([1,1] <= iv < [4,4]) : e(iv);
}: genarray( [5,4], def );
```

Variations:

- ▶ Multiple generators
- ▶ Strided generators
- ▶ Multiple operators
- ▶ Other defaults
- ▶ Reductions
- ▶ etc



Principle of Abstraction

Characteristics:

- ▶ Use with-loops to define elementary array operations
- ▶ Array versions of scalar built-in functions and operators
- ▶ Structural operations like rotation and shifting
- ▶ Standard reductions
- ▶ and much more

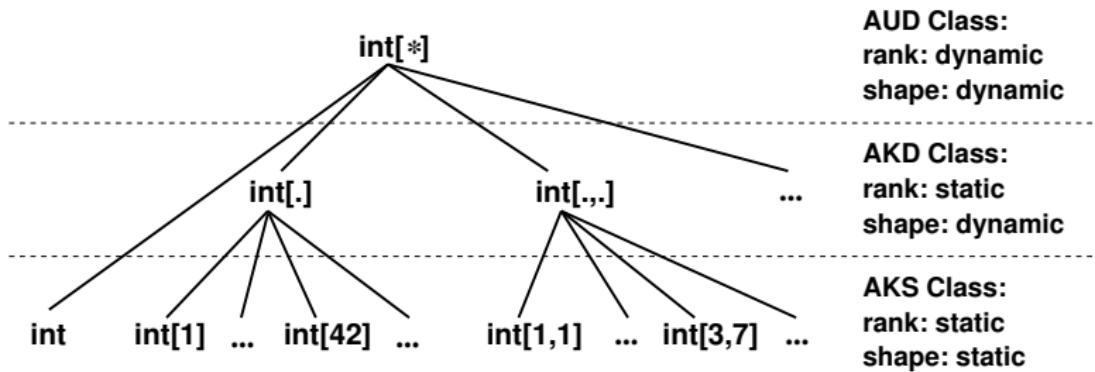


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Hierarchy of array types with subtyping and overloading:



Principle of Composition

Characteristics:

- ▶ Step-wise composition of functions
- ▶ from previously defined functions
- ▶ or basic building blocks (with-loop defined)

Example: convergence test

```
bool  
is_convergent (double [*] new, double [*] old, double eps)  
{  
    return( all( abs( new - old) < eps));  
}
```



Execution through Context-Free Substitution

Convergence Test:

```
is_convergent( [1,2,3,8] , [3,2,1,4] , 3 )
```



Execution through Context-Free Substitution

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```
is_convergent( [1,2,3,8], [3,2,1,4], 3 )
```



```
all( abs( [1,2,3,8] - [3,2,1,4] ) < 3 )
```



Execution through Context-Free Substitution

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is_convergent( [1,2,3,8], [3,2,1,4], 3 )
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```
all( abs( [1,2,3,8] - [3,2,1,4] ) < 3 )
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```
all( abs( [-2,0,2,4] ) < 3 )
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```
all( [2,0,2,4] < 3 )
```



Execution through Context-Free Substitution

Convergence Test:

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is_convergent( [1,2,3,8], [3,2,1,4], 3 )
```



```
all( abs( [1,2,3,8] - [3,2,1,4] ) < 3 )
```



```
all( abs( [-2,0,2,4] ) < 3 )
```



```
all( [2,0,2,4] < 3 )
```



```
all( [true, true, true, false])
```



Execution through Context-Free Substitution

Convergence Test:

```
is_convergent( [1,2,3,8], [3,2,1,4], 3 )
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all( abs( [1,2,3,8] - [3,2,1,4]) < 3 )
```



```
all( abs( [-2,0,2,4]) < 3 )
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```
all( [2,0,2,4] < 3 )
```



```
all( [true, true, true, false])
```



false



Shape- and Rank-Generic Programming

2-dimensional convergence test:

```
is_convergent(  $\begin{pmatrix} 1 & 2 \\ 3 & 8 \end{pmatrix}$ ,  $\begin{pmatrix} 3 & 2 \\ 1 & 7 \end{pmatrix}$ , 3 )
```



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```

3-dimensional convergence test:

```
is_convergent(  $\begin{pmatrix} \begin{pmatrix} 1 & 2 \\ 3 & 8 \end{pmatrix} \\ \begin{pmatrix} 6 & 7 \\ 2 & 8 \end{pmatrix} \end{pmatrix}$ ,  $\begin{pmatrix} \begin{pmatrix} 2 & 1 \\ 0 & 8 \end{pmatrix} \\ \begin{pmatrix} 1 & 1 \\ 3 & 7 \end{pmatrix} \end{pmatrix}$ , 3 )
```



The Power of Abstraction and Composition

- ▶ NO large collection of built-in operations
 - ▶ Simplified compiler design



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- ▶ INSTEAD: **library of array operations**
 - ▶ Improved maintainability
 - ▶ Improved extensibility



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 - ▶ Rapid prototyping
 - ▶ High confidence in correctness
 - ▶ Good readability of code

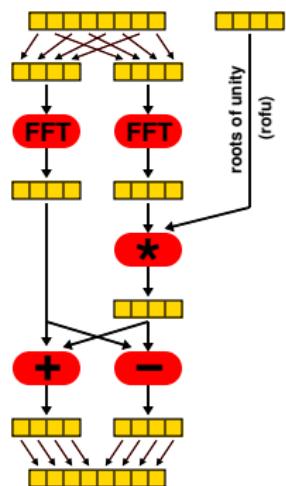


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 - ▶ High confidence in correctness
 - ▶ Good readability of code
- ▶ General intermediate representation for array operations
 - ▶ Basis for code optimization
 - ▶ Basis for implicit parallelization



Case Study: 1-Dimensional Complex FFT (NAS-FT)



```
complex[.] FFT(complex[.] v, complex[.] rofu)
{
    even = condense(2, v);
    odd = condense(2, drop([1], v));

    even = FFT(even, rofu);
    odd = FFT(odd, rofu);

    rofu = condense(len(rofu) / len(odd), rofu);

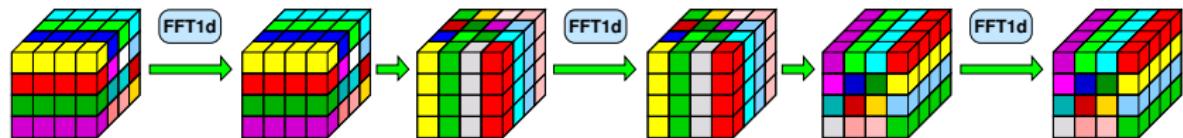
    left = even + odd * rofu;
    right = even - odd * rofu;

    return left ++ right;
}
```



Case Study: 3-Dimensional Complex FFT (NAS-FT)

Algorithmic idea:



Implementation:

```
complex[.,.,.] FFT( complex[.,.,.] a, complex[.] rofu)
{
    b = { .,y,z] -> FFT( a[.,y,z], rofu) };
    c = { [x,.,z] -> FFT( b[x,.,z], rofu) };
    d = { [x,y,.] -> FFT( c[x,y,.], rofu) };

    return d;
}

typedef double[2] complex;
```

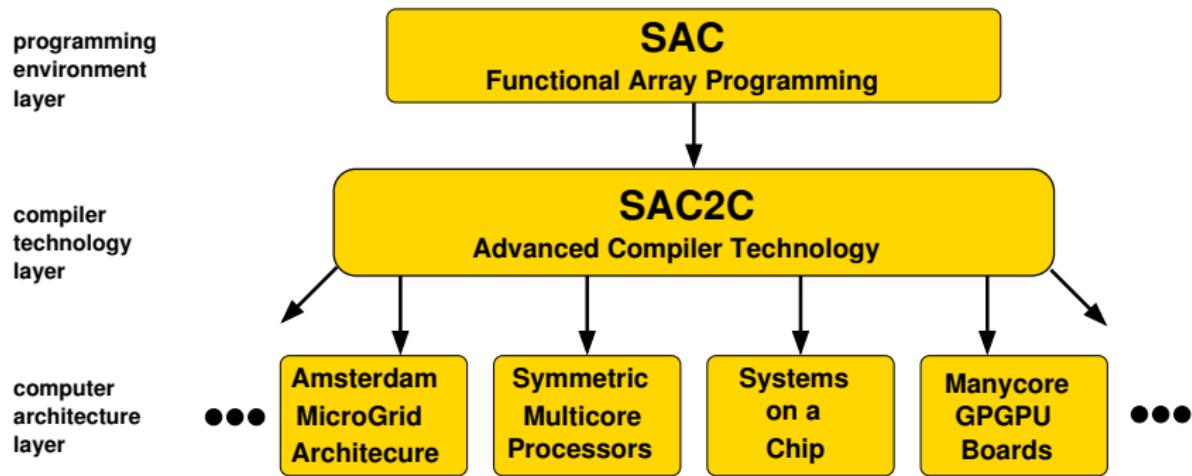


The Same in Fortran

```
if (l .eq. m) goto 160
      subroutine cffts3(is, d, x, xoutfalg) fftz2 (is, l + 1, m, n, ff
      call cfftz (is, logd(1), subroutine cffts3(is, d, x, xoutfalg) fftz2 (is, l + 1, m, n, ff
      d(1), y (fftblockpad, u, y, fftblockpad, u, y,
      do j = 1, fftblock include 'global.h' enddo
      do i = 1, d(1) integer is, d(3), logd(3) do j = 1, n
      xout(i,j+jj,k) = double complex x(d(1),d(2),d(3)) do i = 1, fftblock
      do j = 1, d(2) double complex xout(d(1),d(2),d(3)) k(j,i,j) = y(i,j)
      double complex y(fftblockpad, d6andd2) integer i, j, k, ii
      integer i, j, k, ii 180 continue
      if (i .eq. 1) then do i = 1, 3 return
      return end
      call cffts1(1, dims(1,1), x1, scratch) logd(1) = ilog2(d(i))
      call cffts2(1, dims(1,2), x1, scratch) do j = 1, d(2) subroutine fftz2 (is, l, m, n, ny
      call cffts3(1, dims(1,3), scratch) do k = 1, d(3) implicit none
      else include 'global.h' do ii = 0, d(1) - fftblock, fftblock
      call cffts3(-1, dims(1,3), logd(3) do k = 1, d(3) integer is,k,l,m,n,ny,ny1,n1,l1
      call cffts2(-1, dims(1,2), d8andd1complex(d(1),d(2),d(3)) do i = 1, fftblock double complex u,x,y,u1,x11,x21
      call cffts1(-1, dims(1,1), double2complex(xout(d(1),d(2),d(3)) y(i,k,1) = x(i+ii, dimension u(n), x(ny1,n), y(ny1,n
      endif n1 = n / 2
      return double complex y(fftblockpad, d(2)) enddo lk = 2 ** (l - 1)
      end integer i, j, k, ii call cfftz (is, logd(3), li = 2 ** (m - 1)
      subroutine cffts1(is, d, x, xout) y1, 3 > d(3), y, y(1, 1, 2) j = 2 * lk
      implicit none logd(1) = ilog2(d(i)) do k = 1, d(3) ku = li + 1
      include 'global.h' end do do i = 1, fftblock do i = 0, li - 1
      integer is, d(3), logd(3) do ii = 0, d(1) - fftblock, fftblock, fftblock
      double complex x(d(1),d(2),d(3)) do j = 1, d(2) enddo i21 = 111 + n1
      double complex y(fftblockpad, d(1), 2) do i = 1, fftblock enddo i22 = 121 + lk
      double complex y(fftblockpad, d(1), 2) y(i,j,1) = x(i+ii, enddo if (is .ge. 1) then
      integer i, j, k, jj enddo return u1 = u(ku+i)
      do i = 1, 3 enddo end else
      logd(1) = ilog2(d(i)) call cfftz (is, logd(2), subroutine cfftz (is, m, n, x, y) u1 = dconjg (u(ku+i))
      end do > d(2), y, y(1, 1, 2) implicit none endif
      do k = 1, d(3) include 'global.h' do k = 0, lk - 1
      do jj = 0, d(2) - fftblock, fftblock i = 1, fftblock integer is,m,n,i,j,l,mx
      do j = 1, fftblock xout(i+ii,j,k) = y(i+ii,j,k) x11 = x(j,i11+k)
      do i = 1, d(1) enddo dimension x(fftblockpad,n), y(fftblockpad,n) x21 = x(j,i12+k)
      y(j,i,1) = x(i,j+jj,k) enddo mx = u(1)
      enddo enddo do l = 1, m, 2 enddo
      enddo enddo call fftz2 (is, l, m, n, fftblockpad, u, enddo
      return > fftblockpad, u, enddo
      end
```



Compilation Challenge



Compilation Challenges

► Challenge 1: Stateless Arrays

- How to avoid copying?
- How to avoid boxing small arrays?
- How to do memory management efficiently?



Compilation Challenges

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 - ▶ How to avoid multiple array traversals?



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 - ▶ How to represent arrays with different static knowledge?

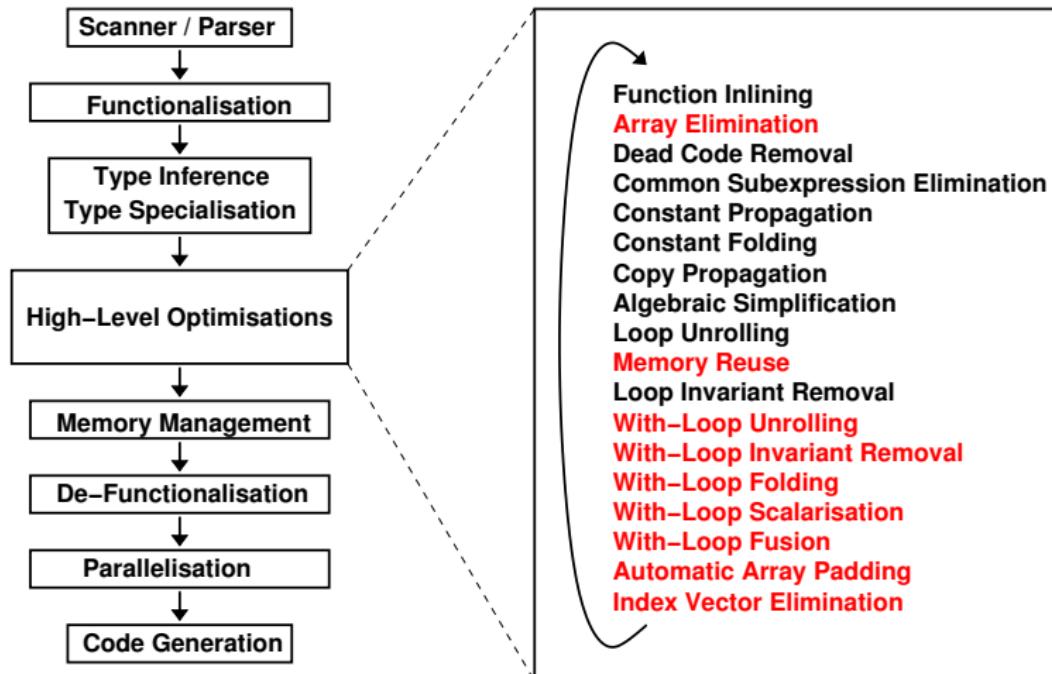


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- ▶ **Challenge 4: Organisation of Concurrent Execution**
 - ▶ How to schedule index spaces to threads ?
 - ▶ When to synchronise (and when not) ?
 - ▶ Where does parallel execution pay off ?
 - ▶ Granularity control ?



Challenge 5: Implementing a Fully-Fledged Compiler



SAC as a Compiler Technology Project

Large-scale (academic) project:

- ▶ **SAC** compiler + runtime library:
 - ▶ 300,000 lines of code
 - ▶ about 1000 files
 - ▶ about 250 compiler passes
 - ▶ + standard prelude
 - ▶ + standard library
- ▶ More than 15 years of research and development
- ▶ More than 30 people involved over the years
- ▶ Mostly BSc/MSc students, 5 PhDs



The SAC Project: Credits

Involved Universities:

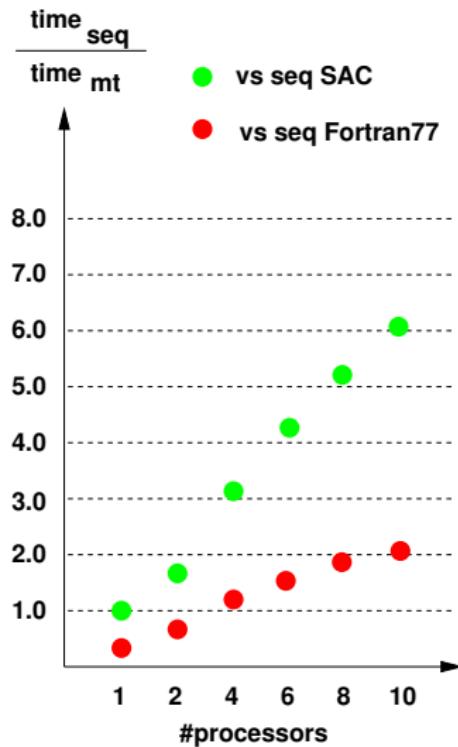
- ▶ University of Kiel, Germany (1994–2005)
- ▶ University of Toronto, Canada (since 2000)
- ▶ University of Lübeck, Germany (2001–2008)
- ▶ University of Hertfordshire, England (2004–2012)
- ▶ University of Amsterdam, Netherlands (since 2008)
- ▶ Heriot-Watt University, Scotland (since 2011)

Main Contributors:

- ▶ Sven-Bodo Scholz (Kiel, Herts, Heriot-Watt)
- ▶ Clemens Grelck (Kiel, Lübeck, Herts, Amsterdam)
- ▶ Stephan Herhut (Kiel, Herts, now at Intel, Santa Clara)
- ▶ Kai Trojahnner (Lübeck, now at RTT AG, München)
- ▶ Dietmar Kreye (Kiel, now at sd&m AG, Hamburg)
- ▶ Robert Berneky (Toronto)
- ▶ Jing Guo (Herts)



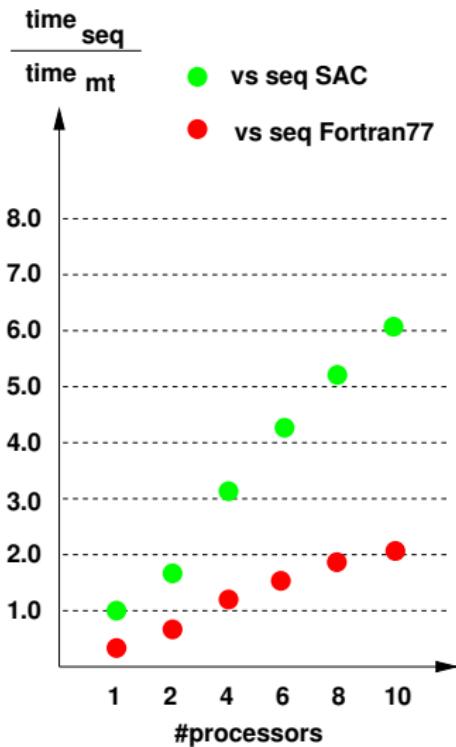
Runtime Performance: Standard Multiprocessor



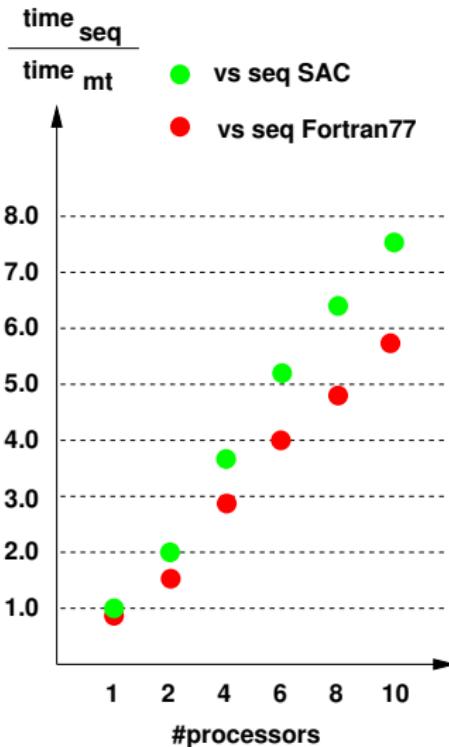
NAS benchmark FT



Runtime Performance: Standard Multiprocessor



NAS benchmark FT

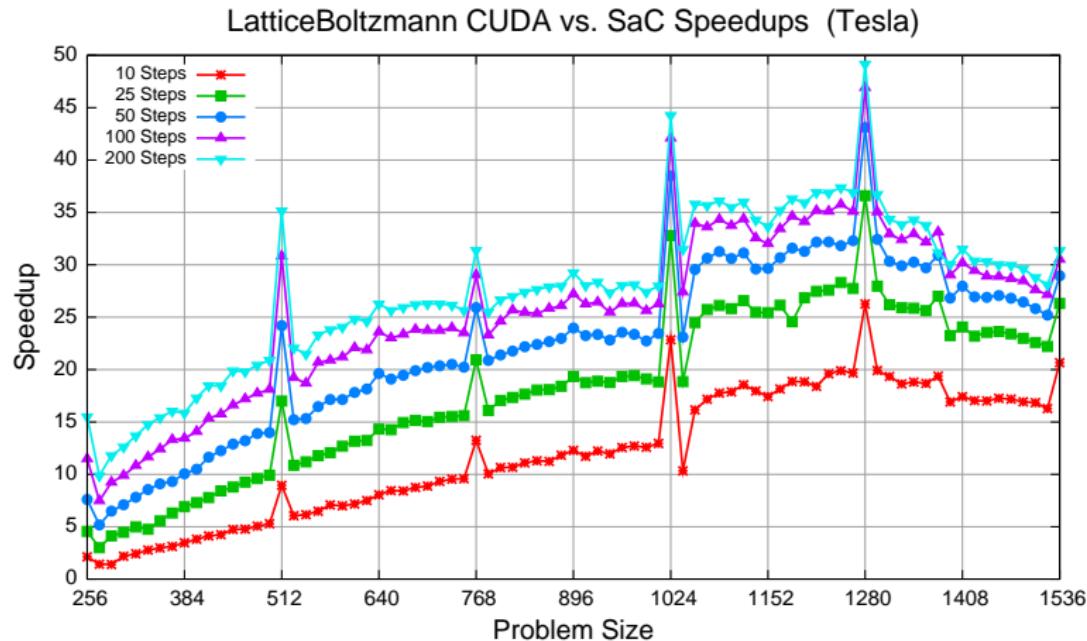


NAS benchmark MG



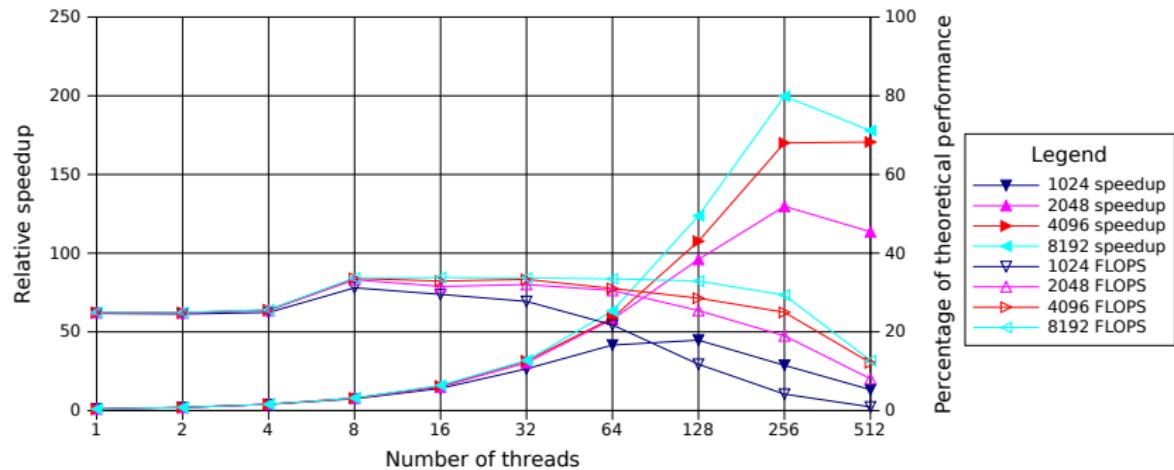
Runtime Performance: NVidia Tesla

Lattice-Boltzmann:



Runtime Performance: Ultra Sparc T3-4 Server

Matrix Multiplication:



Summary

Language design:

- ▶ Functional state-less semantics but C-like syntax
- ▶ Architecture-agnostic high-level parallel programming
- ▶ Shape- and rank-generic array programming
- ▶ Index-free (index-less) array programming



Summary

Language design:

- ▶ Functional state-less semantics but C-like syntax
- ▶ Architecture-agnostic high-level parallel programming
- ▶ Shape- and rank-generic array programming
- ▶ Index-free (index-less) array programming

Language implementation:

- ▶ Fully-fledged compiler, not an embedded DSL
- ▶ Large-scale machine-independent optimisation
- ▶ Automatic parallelisation for various architectures
- ▶ Automatic granularity adaptation and control
- ▶ Automatic memory management



The End

Questions ?

Check out www.sac-home.org !!

